

September 1, 1969

9100B FLUID MECHANICS PROGRAM LISTING

75001 - CHEZY-MANNING EQUATION

Finds channel flow when channel is circular pipe and flowing full.



75003 - RECTANGULAR WEIR

Calculates the rate of fluid flow over a rectangular weir.

75004 - WATER FLOW IN PIPE

Calculates the loss factor (f) and the head loss for a pipe of specified dimensions with a known flow rate.

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## CHEZY - MANNING EQUATION

This program calculates the flow (Q) of an open channel.

The basic equation for open channel flow with any designated flow depth in a container (pipe, etc.) with any cross-sectional area is the Chezy-Manning equation given below:

$$(1) \quad Q = \frac{1.49 AR^{2/3} S^{1/2}}{n}$$

where Q = Flow in ft.<sup>3</sup>/sec.

A = Cross-sectional area of container in ft.<sup>2</sup>

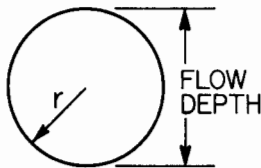
R = Hydraulic radius in ft.

S = Slope of pipe in feet/ft.

n = Roughness coefficient (dimensionless)

This program is specialized for open-channel flow in a circular pipe with flow depth designated at full.

Situation:



$$\text{Then } R = \text{hydraulic radius} = \frac{\text{area of flow cross-section}}{\text{wetted perimeter}} = \frac{\pi r^2}{2\pi r} = \frac{r}{2} = \frac{D}{4} \quad (D = \text{diameter of container})$$

substituting in equation (1) gives:

$$Q = 1.49 \left( \frac{\pi D^2}{4} \right) \left( \frac{D}{4} \right)^{2/3} \frac{S^{1/2}}{n}$$

$$= \frac{(1.49) (\pi/4)}{(4)^{2/3}} \frac{D^{8/3} S^{1/2}}{n} = \frac{.46441 D^{8/3} S^{1/2}}{n} \quad (\text{equation to be used})$$

Variables to be entered for flow calculation are D, S, n.

Reference: Elementary Fluid Mechanics, 3rd. edition, Feb., 1959.  
by John K. Vennard

John Wiley & Sons, Inc.

## USER INSTRUCTIONS

ENTER PROGRAM (Starting Address 0 - 0)

PRESS: GO TO (0) (0) [or END]

→ PRESS: CONTINUE

DISPLAY

0	—	Z
0	—	Y
0	—	X

ENTER DATA: n → Z, D → Y, S → X

PRESS: CONTINUE

DISPLAY

Q	—	Z
0	—	Y
0	—	X

## EXAMPLE

Find  $Q_{FULL}$  in a circular pipe of diameter 18 in.,  
if the slope is .001 feet/ft. and  $n = .015$

Input:  $n = .015$

$D = 1.5 \left( \frac{18''}{12''} = 1.5' \right)$

$S = .001 \text{ ft./ft.}$

Answer:  $Q = 2.8866 \text{ ft.}^3/\text{sec.}$

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Step	Key	Code	Display			Storage												
			x	y	z	f	e	d	c	b	a							
0	0	CLEAR	20															
	1	STOP	41	S	D	n	ENTER n, D, S											
	2	$\sqrt{x}$	76															
	3	ROLL $\downarrow$	31															
	4	$y \rightarrow ()$	40															
	5	f	15															
	6	$\ln x$	65															
	7	$x \rightleftarrows y$	30															
	8	8	10															
	9	X	36															
	a	3	03															
	b	$\div$	35															
	c	$\downarrow$	25															
	d	$e^x$	74	CALCULATE Q														
1	0	X	36															
	1	f	15															
	2	$\div$	35															
	3	.	21															
	4	4	04															
	5	6	06															
	6	4	04															
	7	4	04															
	8	1	01															
	9	X	36															
	a	CLEAR X	37															
	b	$\uparrow$	27															
	c	END	46	0	0	Q	DISPLAY											
	d																	
	0																	
	1																	
	2																	
	3																	
	4																	
	5																	
	6																	
	7																	
	8																	
	9																	
	a																	
	b																	
	c																	
	d																	









USER INSTRUCTIONS

EXAMPLES

ENTER PROGRAM: (Starting Address is ( 0 - 0 )

PRESS: GO TO (0) (0) [or END]

PRESS: CONTINUE

DISPLAY

```

0 ——— Z
0 ——— Y
1 ——— X
    
```

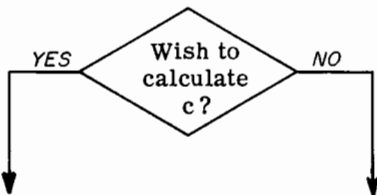
ENTER DATA: V → Z, b → Y, H → X

PRESS: CONTINUE

DISPLAY

```

0 ——— Z
0 ——— Y
2 ——— X
    
```



ENTER DATA: p → X

ENTER DATA: c → X

PRESS: SET FLAG

PRESS: CONTINUE

PRESS: CONTINUE

DISPLAY

```

0 ——— Z
2 ——— Y
Q ——— X
    
```

(2 indicates that c was calculated)

DISPLAY

```

0 ——— Z
1 ——— Y
Q ——— X
    
```

(1 indicates that c was entered as data)

TO RESET PROBLEM:

(A)

Data: H = 1 ft.  
 V = 1 ft./sec.  
 b = 3 ft.  
 c = .6

(c entered as data)

Solution: Q = 9.8321 ft.<sup>3</sup>/sec.

(B)

Data: H = 2 ft.  
 V = 1 ft./sec.  
 b = 6 ft.  
 p = 6.85 ft.

(c to be calculated)

Solution: Q = 57.8007 ft.<sup>3</sup>/sec.











## USER INSTRUCTIONS

## EXAMPLE

ENTER PROGRAM (Starting Address is 0 - 0)

PRESS: GO TO (0) (0) [ or END ]

PRESS: CONTINUE

DISPLAY

0	_____	Z
0	_____	Y
1	_____	X

ENTER DATA: Roughness Coefficient → Y,  
Diameter → X

PRESS: CONTINUE

DISPLAY

0	_____	Z
0	_____	Y
2	_____	X

ENTER DATA: Length → Y, Rate of Flow → X

PRESS: CONTINUE

DISPLAY

d	_____	Z
Q	_____	Y
f	_____	X

PRESS: CONTINUE

DISPLAY

d	_____	Z
Q	_____	Y
$h_f$	_____	X

To enter new data

Data:

d = 10 in.  
 $\epsilon$  = .00085  
 Q = 2000 gpm.  
 L = 500 ft.

Results:

f = .02035  
 $h_f$  = 12.65377 ft.





HEWLETT-PACKARD

Step	Key	Code	Display			Storage						
			x	y	z	f	e	d	c	b	a	
3	0	↑										
	1	1										
	2	2										
	3	X										
	4	3										
	5	.										
	6	7										
	7	÷										
	8	↓										
	9	+										
	a	↓										
	b	log x										
	c	↑										
	d	y										
4	0	2										
	1	X										
	2	a										
	3	-										
	4	2										
	5	÷										
	6	ENTER EXP										
	7	3										
	8	CHG SIGN										
	9	IF x > y										
	a	5										
	b	5										
	c	a										
	d	+										
5	0	y → ( )										
	1	a										
	2	GO TO ( ) ( )										
	3	2										
	4	4										
	5	1										
	6	↑										
	7	a										
	8	÷										
	9	↓										
	a	↑										
	b	X										
	c	y → ( )										
	d	a										

CALCULATE  $\Delta/2$

ENTER TOLERANCE,  $10^{-3}$

BRANCH WHEN  $\Delta/2 < \text{TOLERANCE}$

ADD  $(\frac{1}{\sqrt{f}})_i + \frac{0_i}{2}$  AND STORE AS NEW ESTIMATE  $(\frac{1}{\sqrt{f}})_{i+1}$

BRANCH FOR  $\frac{\Delta_{i+1}}{2}$  CALCULATION

CALCULATE f



